# Population size assessment using mark-release-recapture of $\mathbf{1 2}$ species of Orthoptera, Diptera and Hymenoptera: a comparison of methods 

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#### Abstract

For the first time in Lithuania the mark-release-recapture (MRR) method was applied for assessment of the insect population size. We evaluated abundance of model populations of species from the orders Orthoptera (Metrioptera bicolor, Platycleis albopunctata, Oedipoda caerulescens, Psophus stridulus, Sphingonotus caerulans), Hymenoptera (Symmorphus allobrogus, S. debilitatus, Ancistrocerus antilope, Chrysis purpurata) and Diptera (Cheilosia illustrata, Volucella pellucens, Hydrotaea ignava). The results were analysed using estimators based on closed population model (Lincoln-Petersen, Chapman, Schnabel, and Schumacher-Eschmeyer), and Jolly-Seber estimator, based on open population model. The conclusions of the study: (1) Lincoln-Petersen estimator is the least adequate, and should not be recommended to use; (2) in case of high recapture rate the estimators based on closed population model provided similar results, expectedly reflecting the real size of insect population; (3) in cases of low recapture rate Schnabel estimator was less susceptible to the fluctuation or partial lack of recaptures in the series of censuses, but combination of Chapman and Schumacher-Eschmeyer estimators provided the narrowest confidence interval; (4) Jolly-Seber estimator, originally designed to assess population dynamics, was little efficient in the assessment of the population size of insects, usually giving much more fluctuating results than the estimators based on the closed population model and often underestimating the probable population size; (5) estimators based on closed population model provided seemingly reliable results after 4-8 censuses, dependently on the recapture rate.


Key words: mark-release-recapture, Lincoln-Petersen, Chapman, Schnabel, Schumacher-Eschmeyer, Jolly-Seber methods.

## Introduction

Population size assessment is one of frequently arising tasks in practical ecology. There are multiple methods to solve it (review: Lancia et all., 1994). Some of these methods (e.g. complete census or aerial photography counts) are applicable only for comparatively large and long-lived vertebrate animals. However, some advanced technology methods, as radiotelemetry, have been recently applied to invertebrates as well (Williams, 1999).
The commonly used techniques of the invertebrate population size assessment are counts (particularly transect counts) and mark-release-recapture (MRR) method (Settele et all., 2000). The first is applicable for easy to detect animals only (e.g. butterflies). The second is
more universal and it has long history in ecology (Le Cren, 1965). Recent application of computers lead to development of sophisticated modelling of population dynamics and survival using marked animals (Lebreton et all., 1992; Anonymous, 2000).
The MRR method is applied to invertebrates particularly for population dynamics, longevity and survival research (e.g. Jonsen et all., 2001; Kawagoe et all., 2001), population density and mobility studies (García et all., 2000; Showers et all., 2001; Hein et all., 2003), sex ratio changes (Anholt et all., 2001), pest population monitoring (Harrington et all., 2001), as well as assessment of rare and endangered species populations (Jamieson et all., 2000, Ranius, 2000).

In MRR studies it is recommended to use
individual marks (Lancia et all., 1994). The batch marks (identical within one sample of animals) must be avoided, except for simple Lincoln-Petersen estimates. Individual marking by numbers is widely used for butterflies (Settele, 2000), however, for small insects with fine wings, as Hymenoptera and Diptera, such marking is technically difficult.
The MRR results are analysed using two types of models (see overview in Lancia et all., 1994). The first type assumes that population is closed (births, deaths, immigration and emigration are disregarded). Models of the second type take into account the population changes (Jolly, 1982; Seber, 1982). The most exact estimates of population dynamics are provided by combination of both model types (Pollock, 1982). However, this method is relatively effortconsuming and practical only in detailed studies of multi-annual population dynamics of e.g. protected species.
A researcher, studying insects with a single generation per year, may be interested in the rough assessment of general population size within one season, but not in changes of it. In this case application of sophisticated open population models, for instance those provided by computer program MARK (Anonymous, 2000) is not practical.

The goal of the study was to explore the possibilities of rough but quick population size assessment within one season, using technically simple (batch instead of individual marking) and reasonably time- and effort-consuming methods. We expected to define the most practical estimator and the reasonable number of subsequent censuses to use them in the future studies.
All studied species of Orthoptera and Hymenoptera have single generation per year in Lithuania; population size of the studied Diptera was assessed during a shorter than their generation period. Having in mind that the natural decline of the abundance of imagos was compensated by laid eggs and new larvae, we considered the population size as virtually stable during the study period. Therefore we believed that usage of methods based on closed population model was acceptable.

## Methods

Studied species. We assessed the size of model populations of five species of Orthoptera (Tettigoniidae: Metrioptera bicolor (Philippi), Platycleis albopunctata (Goeze); Acrididae: Oedipoda caerulescens (L.), Psophus stridulus (L.), Sphingonotus caerulans (L.)), four species of Hymenoptera (Vespidae: Symmorphus allobrogus (Saussure), S. debilitatus (Saussure), Ancistrocerus antilope (Panzer); Chrysididae: Chrysis purpurata F.), and three species of Diptera (Syrphidae: Cheilosia illustrata (Harris), Volucella pellucens (L.); Muscidae: Hydrotaea ignava (Harris)).
Study plots. For Orthoptera the sampling plot was located 3 km S of village Puvočiai (Varèna distr., $54^{\circ} 05^{\prime} \mathrm{N}, 24^{\circ} 20^{\prime} \mathrm{E}$ ), 3 ha of dry, open perennial and annual siliceous grassland on inland dunes with dominating Corynephorus canescens, Calamagrostis, lichens and mosses, locally with Calluna vulgaris, surrounded by patches of young Pinus silvestris stands.
The MRR study of Hymenoptera was conducted in the village Varnupys (Anykščiai distr., $55^{\circ} 24^{\prime} \mathrm{N}, 25^{\circ} 17^{\prime} \mathrm{E}$ ), at an old wooden building, infected by cerambycids Hylotrupes bajulus, Callidium violaceum and anobiids, with natural colonies of solitary xylicolous wasps and bees nesting in the beetle burrows. The building was surrounded by wet sedge meadows with scattered Salix cinerea shrubs, and with deciduous forest of Quercus robur, Betula pendula, Populus tremula, Alnus glutinosa, A. incana, Padus racemosa, Salix caprea, S. pentandra and Pinus silvestris. The building was isolated from the other buildings possibly suitable for xylicolous wasp nesting by few hundreds of meters, thus the studied wasp populations expectedly had the lowest, in comparison with studied Orthoptera and Diptera, migration rates.
The sampling plot for Diptera was in Visoriai (Vilnius suburb, $54^{\circ} 45^{\prime} \mathrm{N}, 25^{\circ} 15^{\prime} \mathrm{E}$ ), a dry meadow with flowering Apiaceae (mainly Heracleum sosnowskii, some Peucedanum oreoselinum, Angelica sylvestris, Pimpinella saxifraga), surrounded by patches of young stands of Betula pendula, Alnus incana, Populus tremula, Salix caprea and Pinus silvestris.

Sampling. The sampling period for Orthoptera was mid July to end of August. Hymenoptera were sampled from end of May to the mid July, Diptera - in July or (H. ignava) August. The censuses were carried on in warm and sunny days only, with intervals of ca. one week for Orthoptera and Hymenoptera, and 1-3 days for Diptera. We captured insects by entomological net. For marking we applied nail enamels of 10 colours. Different colour was used on each census date. Sampling of Orthoptera was started at 11:00 and was finished it at 16:00; the specimens were immediately marked with a spot on their pronotum using small brush and released. The wasps and flies were captured between 12:00 and 13:00 and placed to glass tubes. Afterwards they were marked with a small spot of enamel, using binocular microscope MBS-10 (at $8 \times$ ) and entomological pin , and released. The wasps were marked on the posterior surface of their propodeum; the flies were marked on their mesonotum. We nearly never found damaged marks on recaptured specimens, thus we expected that the probability of losing such marks was relatively low.
Analysis. Analysing the MRR data, we used estimators based on the closed population model for two subsequent censuses (method of Lincoln-Petersen and its modification by Chapman) and for multiple censuses (methods of Schnabel and Schumacher-Eschmeyer), and method of Jolly-Seber, based on open population model. The formulas for calculations were as follows:
Lincoln-Petersen estimator (Lancia et all., 1994):
$N^{\prime}=n_{1} n_{2} / m_{2}$,
S. E. $(N)=\sqrt{n_{1}{ }^{2} n_{2}\left(n_{2}-m_{2}\right) / m_{2}{ }^{3}}$
where $N^{\prime}$ - estimated size of population; $n_{l}-$ individuals captured and marked in the previous sample ("last marked" values in Fig. 1) or all earlier samples ("all marked" values in Fig. 1); $n_{2}$ - individuals captured in the current sample; $m_{2}$ - individuals in the current sample that are marked (recaptures).
Chapman estimator (Chapman, 1951):
$N^{\prime}=\frac{\left(n_{1}+1\right)\left(n_{2}+1\right)}{m_{2}+1}-1$,
where $N^{\prime}$ - estimated size of population; $n_{l}-$ individuals captured and marked in all previous samples; $n_{2}$ - individuals captured in the current sample; $m_{2}$ - individuals in the current sample that are marked (recaptures).
For the standard error of Chapman estimator, instead of formula
S. E. $(N)=\sqrt{\frac{\left(n_{1}+1\right)\left(n_{2}+1\right)\left(n_{1}-m_{2}\right)\left(n_{2}-m_{2}\right)}{\left(m_{2}+1\right)^{2}\left(m_{2}+2\right)}}$
(Seber, 1982)
we used
S. E. $(N)=\sqrt{\frac{\left(n_{1}+1\right)\left(n_{2}+1\right)\left(n_{1}-m_{2}\right)\left(n_{2}-m_{2}+1\right)}{\left(m_{2}+1\right)^{2}\left(m_{2}+3\right)}}$
to avoid zero variance in the cases when all captured insects were marked $\left(n_{2}=m_{2}\right)$.
The confidence limits of the Lincoln-Petersen and Chapman estimators were calculated as $N \pm$ $\boldsymbol{t}_{\left(0.05, n_{2}-1\right)}$ S.E.

Schnabel estimator (Schnabel, 1938):
$N^{\prime}=\frac{\sum_{i=2}^{c}\left(n_{i} \sum_{j=1}^{i-1} n_{j}\right)}{\sum_{i=2}^{c} m_{i}+1}$
S.E. $(N)=\sqrt{\frac{\left(\sum_{i=2}^{c}\left(n_{i} \sum_{j=1}^{i-1} n_{j}\right)\right)^{2}}{\sum_{i=2}^{c} m_{i}}}$, or standard error
of the reciprocal of $N$ :
S.E. $(1 / N)=\sqrt{\frac{\sum_{i=2}^{c} m_{i}}{\left(\sum_{i=2}^{c}\left(n_{i} \sum_{j=1}^{i-1} n_{j}\right)\right)^{2}}}$;

Schumacher-Eschmeyer estimator (Ricker, 1975):
$N^{\prime}=\frac{\sum_{i=2}^{c}\left(n_{i}\left(\sum_{j=1}^{i-1} n_{j}\right)^{2}\right)}{\sum_{i=2}^{c}\left(m_{i} \sum_{j=1}^{i-1} n_{j}\right)}$,
S.E.(N) $=$
$\sqrt{\frac{N^{3}}{(c-1) \sum_{i=2}^{c}\left(m_{i} \sum_{j=1}^{i-1} n_{j}\right)}\left(\sum_{i=2}^{c} \frac{m_{i}^{2}}{n_{i}}-\frac{\left(\sum_{i=2}^{c}\left(m_{i} \sum_{j=1}^{i-1} n_{j}\right)\right)^{2}}{\sum_{i=2}^{c}\left(n_{i}\left(\sum_{j=1}^{i-1} n_{j}\right)^{2}\right)}\right.}$
, or
S.E. $(1 / N)=$
$\sqrt{\frac{1}{(c-1) \sum_{i=2}^{c}\left(n_{i}\left(\sum_{j=1}^{i-1} n_{j}\right)^{2}\right)} \sqrt{\sum_{i=2}^{c} \frac{m_{i}^{2}}{n_{i}}-\frac{\left(\sum_{i=2}^{c}\left(m_{i} \sum_{j=1}^{i-1} n_{j}\right)\right)^{c}\left(n_{i=2}\left(\sum_{i=1}^{i-1} n_{j}\right)^{2}\right)}{\left.\sum_{j}\right)}} \sqrt{\left(\sum_{i=1}\right)}}$
(Schneider, 2000), where $N^{\prime}$ - estimated size of population; $n_{i}$ - individuals captured and marked in the $i$-th census; $\sum_{j=1}^{i-1} n_{j}$ - individuals captured and marked in earlier censuses; $m_{i}-$ individuals in the $i$-th census that are marked (recaptures); $c$ - total number of censuses.
Confidence limits for Schnabel and Schumacher-Eschmeyer estimates were calculated using reciprocal of $N^{\prime}\left[1 /\left(1 / N^{\prime} \pm \boldsymbol{t}_{(0.05}\right.\right.$, ${ }_{c-1}$ S.E.(1/N) $)$, as recommended by Ricker (1975), or by the usual formula ( $N^{\prime} \pm \boldsymbol{t}_{(0.05, c-1)}$ S.E. (N)), if the latter provided closer value (higher minimum or lower positive maximum) than the former one.
Jolly-Seber estimator (Seber, 1982):
$\tilde{N}_{i}=\frac{n_{i}+1}{m_{i}+1}\left(m_{i}+\frac{z_{i}}{r_{i}+1}\left(n_{i}+1\right)\right)$,
where $\tilde{N}$ - estimated population size; $n_{i}-$ individuals captured / marked in the $i$-th census; $m_{i}$ - individuals in the $i$-th census that are
marked; $r_{i}$ - the number of animals released at $i$ th census that will be captured again; $z_{i}$ - the number of animals that have been captured before $i$-th census, not captured at $i$-th sample, and will be captured again later.
The size of the population should be with the probability of $95 \%$ within confidence interval established using any of the listed methods. Therefore we tallied narrower "summarising" interval, partly overlapping any of the calculated confidence intervals (Tables 1-3, column $N^{\prime}$, values in bold), presuming that size of the population being assessed should be within it with reasonably high probability. Afterwards the latter interval was used for comparisons with each estimator result separately. The criteria for defining the best estimator were as follows: after reasonably low number of censuses the result (1) should be close to the "summarising" interval, (2) should have low fluctuations between censuses, and (3) should have small interval of the confidence limits.
The calculations were done using computer program Microsoft Excel 2000.

## Results and Discussion

The results of the population size estimations, starting from the third census, are presented in Tables 1-3 (95\% confidence intervals for each estimation) and Figures 1-12 (estimator values in subsequent censuses).

Table 1. Orthoptera: $95 \%$ confidence intervals of population estimates and values of the Jolly-Seber estimator at each census ( $\mathrm{n} / \mathrm{a}-$ not available).

Legends: $N^{\prime}$ - the smallest overlapping confidence interval for each estimation and (in bold) for all estimations ("summarizing" interval - see text). For Jolly-Seber estimator the range of estimates is given in brackets; * number of captured specimens $\left(n_{i}\right)$; ** total number of recaptures $\left(m_{i}\right)$.


| Lincoln-Petersen 0-91 |  | 7-73 | 0-81 | 0-108 | 0-539 | 28 | (n/a) | (n/a) | 28-73 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Chapman | 12-63 | 15-59 | 9-64 | 0-81 | 0-251 | 4-52 | ( $\mathrm{n} / \mathrm{a}$ ) | ( $\mathrm{n} / \mathrm{a}$ ) | 15-52 |
| Schnabel | 11-367 | 17-377 | 21-91 | 23-66 | 26-55 | 27-48 | 27-45 | 28-44 | 28-44 |
| Schum.-Eschm. | 17-74 | 26-55 | 30-50 | 32-47 | 33-48 | 31-45 | 31-44 | (n/a) | 33-44 |
| Jolly-Seber | 99 | 45 | 59 | 24 | 8 | 7 | 1 | ( $\mathrm{n} / \mathrm{a}$ ) | (1-99) |
| Platycleis albopunctata | 29/1 | 11/1 | 12/0 | 26/3 | 24/5 | 14/3 | 8/2 | 11/4 | 574-619 |
| Lincoln-Petersen 0-2883 |  | 0-2097 | (n/a) | 0-1524 | 90-928 | 0-1228 | 0-1332 | 44-738 | 90-738 |
| Chapman |  | 0-761 | 0-2116 | 127- | 161-728 | 105-838 | 31-789 |  | 161-574 |
|  | 11-1007 |  |  | 1005 |  |  |  | 110-574 |  |
| Schnabel | 193- | 252- | 39 | 440- | 415- | 421- | 44 | 442-896 | 442-896 |
|  | 5845 | 4878 | 6293 | 5703 | 1824 | 1493 | 1181 |  |  |
| Schum.-Eschm. | 531- | 535- | 619- | 578- | 478-940 | 495-838 | 501-783 | 451-701 | 619-701 |
|  | 2114 | 1219 | 3399 | 1464 |  |  |  |  |  |
| Jolly-Seber | 315 | 198 | 845 | 385 | 333 | 124 | 47 | ( $\mathrm{n} / \mathrm{a}$ ) | (47-845) |
| Oedipoda caerulescens | 35/3 | 18/0 | 17/2 | 26/3 | 34/1 | 33/3 | 28/6 | 40/6 | 614-879 |
| Lincoln-Petersen 0-941 |  | (n/a) | 0-1801 | 0-1891 | 0-12871 | 0-3710 | 227- | 336-2478 | 336-941 |
|  |  |  |  |  |  |  | 1537 |  |  |
| Chapman | 86-614 | 0-2980 | 64-1002 | 155- | 11-4432 | 293- | 316- | 480-2001 | 480-614 |
|  |  |  |  | 1247 |  | 2425 | 1257 |  |  |
| Schnabel | 90-3038 | 182- | 277- | 382-989 | 573- | 718- | 726- | 806-1504 | 806-989 |
|  |  | 3977 | 1184 |  | 1430 | 1554 | 1400 |  |  |
| Schum.-Eschm. | 98-1085 | 197- | 296- | 411- | 616- | 788 - | $764-$ | 879-1880 | 879-1085 |
|  |  | 3509 | 2110 | 1711 | 3143 | 2955 | 1953 |  |  |
| Jolly-Seber | 27 | 361 | 138 | 567 | 1549 | 989 | 746 | ( $\mathrm{n} / \mathrm{a}$ ) | (27-1549) |
| Psophus stridulus | 21/2 | 7/0 | 19/1 | 6/0 | 3/0 | 10/3 | 12/3 | 4/0 | 349-379 |
| Lincoln-Petersen 0-631 |  | (n/a) | 0-2950 | (n/a) | (n/a) | 0-544 | 0-714 | (n/a) | 0-544 |
| Chapman | 30-349 | 0-862 | 0-1041 | 0-1211 | 0-1053 | 50-383 | 63-494 | 0-1342 | 63-349 |
| Schnabel | 61-1895 | 105- | 201- | 315-981 | 350- | 280-868 | 265-824 | 289-877 | 350-824 |
|  |  | 2089 | 3129 |  | 1022 |  |  |  |  |
| Schum.-Eschm. | 154-379 | 163- | 291- | 376- | 443- | 289-968 | 288-701 | 315-820 | 379-443 |
|  |  | 1262 | 1599 | 2301 | 2621 |  |  |  |  |
| Jolly-Seber | 176 | 32 | 110 | 33 | 32 | 39 | 10 | ( $\mathrm{n} / \mathrm{a}$ ) | (10-176) |
| Sphingonotus caerulans | 47/2 | 37/9 | 47/4 | 26/11 | 46/9 | 32/7 | 52/9 | 63/15 | 621-697 |
| Lincoln-Petersen 0-1856 |  | 132-509 | 46-2445 | 186-518 | 334- | 293- | 511- | 621-1639 | 509-621 |
|  |  |  |  |  | 1343 | 1545 | 2100 |  |  |
| Chapman |  |  | 296- |  | 382- | 365- | 581- |  | 443-647 |
|  | 85-1001 | 156-443 | 1757 | 199-474 | 1167 | 1300 | 1823 | 647-1511 |  |
| Schnabel | 156- | 195- | 348- | 333-878 | 430-843 | 489-867 | 608-947 | 697-1014 | 697-843 |
|  | 4897 | 2367 | 1546 |  |  |  |  |  |  |
| Schum.-Eschm. | 310- | 243-528 | 342- | 309-769 | 398-926 | 468-999 | 577- | 682-1306 | 528-682 |
|  | 1605 |  | 1319 |  |  |  | 1242 |  |  |
| Jolly-Seber | 416 | 443 | 591 | 204 | 610 | 415 | 1265 | ( $\mathrm{n} / \mathrm{a}$ ) | (415-1265) |

Table 2. Hymenoptera: $95 \%$ confidence intervals of population estimates and values of the JollySeber estimator at each census ( $\mathrm{n} / \mathrm{a}$ - not available).

Legends: $N^{\prime}$ - the smallest overlapping confidence interval for each estimation and (in bold) for all estimations ("summarizing" interval - see text). For Jolly-Seber estimator the range of estimates is given in brackets; * number of captured specimens $\left(n_{i}\right) ;$ ** number of recaptures $\left(m_{i}\right)$.

| Species | Census No (i) |  |  |  |  |  |  | $N^{\prime}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 3 | 4 | 5 | 6 | 7 | 8 | 9 |  |
| Symmorphus allobrogus | $\left.\right\|_{*} ^{37 * / 12^{*}}$ | 37/21 | 23/19 | 12/11 | 5/4 | 2/2 | 1/1 | 155-186 |
| Lincoln-Petersen | 118-338 | 124-225 | 112-167 | 105-155 | 57-243 | 121 | (n/a) | 121-155 |
| Chapman | 132-305 | 129-214 | 113-164 | 101-157 | 58-230 | 0-516 | (n/a) | 124-159 |
| Schnabel | $\begin{aligned} & 109- \\ & 2486 \end{aligned}$ | 129-372 | 132-261 | 134-226 | 141-206 | 148-190 | 154-179 | 154-179 |
| Schum.-Eschm. | 191-255 | 158-234 | 137-214 | 134-199 | 137-193 | 138-188 | 139-186 | 186-191 |
| Jolly-Seber | 109 | 204 | 72 | 111 | 26 | 5 | ( $\mathrm{n} / \mathrm{a}$ ) | (5-204) |
| Symmorphus debilitatus | 1/2 | 1/1 | 5/3 | 2/1 |  |  |  | 15-22 |
| Lincoln-Petersen | 0-47 | ( $\mathrm{n} / \mathrm{a}$ ) | 0-37 | 0-260 |  |  |  | 0-37 |
| Chapman | 0-31 | ( $\mathrm{n} / \mathrm{a}$ ) | 5-29 | 0-121 |  |  |  | 5-29 |
| Schnabel | 5-164 | 6-127 | 9-105 | 10-47 |  |  |  | 10-47 |
| Schum.-Eschm. | 14-26 | 11-25 | 13-22 | 15-24 |  |  |  | 15-22 |
| Jolly-Seber | 20 | 9 | 14 | ( $\mathrm{n} / \mathrm{a}$ ) |  |  |  | (9-20) |
| Ancistrocerus antilope | 3/2 | 2/0 | 2/2 | 2/2 | 1/1 | 1/1 |  | 6-9 |
| Lincoln-Petersen | 0-12 | (n/a) | 6 | 6 | ( $\mathrm{n} / \mathrm{a}$ ) | (n/a) |  | 6-12 |
| Chapman | 1-8 | 0-112 | 0-23 | 0-23 | ( $\mathrm{n} / \mathrm{a}$ ) | ( $\mathrm{n} / \mathrm{a}$ ) |  | 1-8 |
| Schnabel | 1-33 | 2-42 | 3-45 | 3-15 | 3-14 | 4-11 |  | 4-11 |
| Schum.-Eschm. | 3-6 | 3-26 | 4-13 | 4-10 | 5-9 | 5-9 |  | 5-9 |
| Jolly-Seber | 29 | 23 | 14 | 8 | 3 | ( $\mathrm{n} / \mathrm{a}$ ) |  | (3-29) |
| Chrysis purpurata | 5/4 | 3/2 |  |  |  |  |  | 7-12 |
| Lincoln-Petersen | 4-16 | 0-37 |  |  |  |  |  | 4-16 |
| Chapman | 5-14 | 0-28 |  |  |  |  |  | 5-14 |
| Schnabel | 3-123 | 5-74 |  |  |  |  |  | 5-74 |
| Schum.-Eschm. | 7-12 | 7-14 |  |  |  |  |  | 7-12 |
| Jolly-Seber | 8 | ( $\mathrm{n} / \mathrm{a}$ ) |  |  |  |  |  | (8) |

Table 3. Diptera: $95 \%$ confidence intervals of population estimates and values of the Jolly-Seber estimator at each census ( $\mathrm{n} / \mathrm{a}-$ not available).

Legends: $N^{\prime}$ - the smallest overlapping confidence interval for each estimation and (in bold) for all estimations ("summarizing" interval - see text). For Jolly-Seber estimator the range of estimates is given in brackets; * number of captured specimens $\left(n_{i}\right)$; ** number of recaptures $\left(m_{i}\right)$.

| Census No (i) |  |  |  |  |  |  |  | $N^{\prime}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Species | 3 | 4 | 5 | 6 | 7 | 8 | 9 |  |
| Volucella pellucens | 34*/0** | 20/1 | 6/2 | 4/1 | 6/1 | 1/0 | 3/0 | 350-739 |
| Lincoln- | ( $\mathrm{n} / \mathrm{a}$ ) | 0-3466 | 0-566 | 0-1202 | 0-1667 | ( $\mathrm{n} / \mathrm{a}$ ) | ( $\mathrm{n} / \mathrm{a}$ ) | 0-566 |
| Petersen |  |  |  |  |  |  |  |  |
| Chapman | 0-1805 | 0-1219 | 8-350 | 0-486 | 0-639 | ( $\mathrm{n} / \mathrm{a}$ ) | 0-1248 | 8-350 |
| Schnabel | ( $\mathrm{n} / \mathrm{a}$ ) | 396-7564 | 285-4651 | 279-4203 | 305-3009 | 366-1286 | 443-997 | 443-997 |
| Schum.-Eschm. | ( $\mathrm{n} / \mathrm{a}$ ) | 739-2969 | 242-1342 | 257-973 | 290-861 | 309-877 | 340-1006 | 739-861 |
| Jolly-Seber | 0 | 11 | 37 | 15 | 4 | 0 | ( $\mathrm{n} / \mathrm{a}$ ) | (0-37) |


| Cheilosia illustrata | 15/2 | 30/3 | 17/3 |  | 454-732 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Lincoln- | 0-1339 | 0-1845 | 0-1364 |  | 0-1339 |
| Petersen |  |  |  |  |  |
| Chapman | 47-751 | 152-1210 | 115-918 |  | 152-751 |
| Schnabel | 148-4929 | 266-6042 | 343-1388 |  | 343-1388 |
| Schum.-Eschm. | 282-732 | 378-1077 | 454-907 |  | 454-732 |
| Jolly-Seber | 32 | 103 | ( $\mathrm{n} / \mathrm{a}$ ) |  | (32-103) |
| Hydrotaea ignava | 42/3 | 126/1 | 75/2 | 80/1 | 4440-6971 |
| Lincoln- | 0-6838 | 0-103096 | 0-36529 | 0-112448 | 0-6838 |
| Petersen |  |  |  |  |  |
| Chapman | 525-4440 | 317- | 1283- | 249- | 525-4440 |
|  |  | 34781 | 19411 | 38062 |  |
| Schnabel | 1107- | 2974- | 4718- | 6971- | 6971-16092 |
|  | 38255 | 67486 | 17062 | 16092 |  |
| Schum.-Eschm. | 2437- | 2707- | 4274- | 6167- | 3723-6167 |
|  | 3723 | 27468 | 27851 | 38762 |  |
| Jolly-Seber | 495 | 65 | 2080 | ( $\mathrm{n} / \mathrm{a}$ ) | (65-2080) |

## 1. Metrioptera bicolour

## 2. Platycleis albopunctata




## 3. Oedipoda caerulescens

4. Psophus stridulus



## 5. Sphingonotus caerulans






7. Symmorphus debilitatus

9. Chrysis purpurata

11. Cheilosia illustrata

12. Hydrotaea ignava


Figures 1-12. Changes of size estimates (starting from the second or third census) of the model populations of Orthoptera ( 5 species), Hymenoptera ( 4 species) and Diptera (3 species), using 5 estimators. For Lincoln-Petersen estimator two values are presented, one with $n_{l}$ meaning individuals captured and marked in the previous census ("last marked"), the second with $n_{1}$ meaning individuals marked in all earlier censuses ("all marked").

For Orthoptera tentative observations did not show visible decrease of population density during the sampling period, except for M. bicolor. The visible abundance of the latter species decreased in August. The observations revealed that M. bicolor was very sessile, possibly territorial species: marked stridulating males were recaptured mostly on the same stems of grasses or shrubs as they were earlier released. As result, we had high recapture rate and we could obtain reasonably narrow confidence intervals of Chapman and Schumacher-Eschmeyer estimators of this species population after four censuses (Table 1). In contrast, P. stridulus was highly mobile species: although most of specimens observed in the sampling area could be captured and marked, the subsequent censuses contained low, or even no recaptures, indicating high specimen (mostly male) exchange rate with neighbour areas. As expected, all estimators were sensitive to lack of recaptures in the censuses, however Chapman and Schnabel estimates were reasonable in those cases. P. stridulus was the
only orthopteran species with Jolly-Seber estimator always giving unrealistically lower population estimates than closed population estimators due to low recapture rates (low $m_{i}$ and $z_{i}$ - see Jolly-Seber formula in Material and Methods).
O. caerulescens and $P$.albopunctata were rather mobile as well, but unlike $P$. stridulus, more difficult to capture, thus only part of the observed specimens could be marked during the census. S. caerulans was more sessile, connected with sparse vegetation and open sand plots on the sampling area. For O. caerulescens and S. caerulans, in cases of high fluctuation of recapture rates, Schnabel estimator could provide the narrowest confidence interval, however in all other cases combination of Chapman and Schumacher-Eschmeyer estimators seemed to be more efficient, giving reasonable population estimates after 6-8 censuses (Table 1).
The MRR study confirmed, that the sampling area for Hymenoptera contained small and rather closed populations of wasps: after two or
three censuses the recaptures made more than half of all captured specimens. In this case results of Jolly-Seber estimator were more or less coinciding with those of the closed population estimators. Changes of values of the Jolly-Seber estimator probably reflected the real seasonal change of the imago abundance in the populations of the univoltine wasp species. For all studied these species, having high and stable recapture rates, the Schumacher-Eschmeyer estimator provided the narrowest confidence limits after 4-6 censuses (Table 2).
The studied Diptera provided us with examples of low recapture rates despite the shortest, in comparison with Orthoptera and Hymenoptera, 1-3 day intervals between censuses. As with $P$. stridulus, Jolly-Seber estimator was rather useless, giving unrealistically low values due to low $m_{i}$ and $z_{i}$. Seemingly reasonable estimates were provided by Schnabel and SchumacherEschmeyer estimators after 4-5 censuses; Schumacher-Eschmeyer formula giving the narrowest confidence limits (Table 3).
Summarising this first experience of application of the MRR method for insects in Lithuania, we may note that in cases of sufficient number of recaptured specimens, as for Metrioptera bicolor, Symmorphus allobrogus, S. debilitatus, or Ancistrocerus antilope, Jolly-Seber estimator provides similar results to those of closed population model estimators. However, in cases of low recapture rate, the estimators based on the closed population model seem to be more efficient.

## Conclusions

Lincoln-Petersen estimator was the least adequate, in comparison with the other estimators, and should not be recommended to use.
In cases of high recapture rate the estimators based on closed population model (Chapman, Schnabel and Schumacher-Eschmeyer) provided similar results with relatively narrow confidence intervals, expectedly reflecting the real size of insect population.
In cases of low recapture rate Schnabel estimator was less susceptible to the fluctuation
or partial lack of recaptures in the series of censuses, but combination of Chapman and Schumacher-Eschmeyer estimators provided the narrowest confidence interval.
In general, Jolly-Seber estimator, originally designed to assess population dynamics, was little efficient in assessment of the population size of insects with short-living stage of imago, lacking territorial behaviour and relatively high mobility. In cases of low recapture rates it provided much more fluctuating results than the cumulative estimators based on the closed population model, and it often underestimated the probable population size.
Estimators based on closed population model provided little fluctuating results with relatively narrow confidence interval after 4-8 censuses, dependently on the recapture rate.

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